



**AMC WARM-UP PAPER  
JUNIOR PAPER 7  
SOLUTIONS**

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1.  $\frac{1}{2}$  of  $\frac{1}{3} = \frac{1}{2} \times \frac{1}{3} = \frac{1}{6}$ ,

hence (D).

2.  $x + 45 + 105 + 125 = 360$ , so  $x = 360 - 275 = 85$ ,

hence (C).

3. The four payments total  $4 \times \$65 = \$260$ . Hence the amount saved is  $\$260 - \$249 = \$11$ ,

hence (A).

4. The total area  $A$  is given by

$$\begin{aligned} A &= \text{area of all 5 circles} - \text{area of the overlap} \\ &= 5 - \left(4 \times \frac{1}{8}\right) \\ &= 5 - \frac{1}{2} = 4\frac{1}{2}, \end{aligned}$$

hence (B).

5. If one side is twice the other, the perimeter is equivalent to 6 times the shorter side, so the shorter side is  $\frac{24}{6} = 4$  cm and the longer side is then 8 cm. Thus the area, in square centimetres, is  $8 \times 4 = 32$ ,

hence (E).

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6. Volume of the carton is given by  $V = s^2h$ , where  $s$  is the length of the square base and  $h$  is the height.  $1\text{L} = 1000\text{mL} = 1000$  cubic centimetres. Thus

$$\begin{aligned}7 \times 7 \times h &= 1000 \\h &= \frac{1000}{49} \\&\approx \frac{1000}{50} = 20,\end{aligned}$$

hence (B).

7. The minimum score  $x$  can be gained by one student when each of the other nine students achieve the maximum score, i.e have a combined score of 900. Then, for this score  $x$ ,

$$\frac{900 + x}{10} = 92,$$

and  $x = 20$ ,

hence (A).

8. The area of the square is  $5 \times 5 = 25$  square units.

Counting the shaded right-angled triangles (each half a square), we get a total of 20, which have an area of 10 square units.

Thus, as a fraction of the square, the portion shaded is  $\frac{10}{25} = 0.4$ ,

hence (B).

9. Let the number of large bags be  $x$ . Then the number of small bags is  $46 - x$ , and

$$\begin{aligned}20x + 8(46 - x) &= 560 \\20x + 368 - 8x &= 560 \\12x &= 192 \\x &= 16,\end{aligned}$$

hence (B).

10. The total number of edges on all the faces is

$$(20 \times 3) + (30 \times 4) + (12 \times 5) = 240,$$

but this counts each edge twice, as it occurs on exactly two adjacent faces.

Hence the number of edges is 120,

hence (B).